TOOL PAPER: ScalaBison
Recursive Ascent-Descent Parser Generator

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Abstract

ScalaBison is a parser generator accepting \texttt{bison} syntax and generating a parser in Scala. The generated parser uses the idea of “recursive ascent-descent parsing,” that is, directly encoded generalized left-corner parsing. Of interest is that fact that the parser is generated from the LALR(1) tables created by \texttt{bison}, thus enabling extensions such as precedence to be handled implicitly.

1 Introduction

Recursive ascent-descent parsing was proposed by Horspool \cite{3}. The idea is to combine the power of LR parsing with the small table size and ease of inserting semantic productions available in LL parsing. Furthermore, the generated parsers can be directly encoded, in that the control is handled through executable code rather than indirectly through a table that is then interpreted. In this section we describe these concepts in greater detail.

1.1 Left-corner parsing

Demers \cite{2} introduced “generalized left corner parsing” which (roughly) combines the benefits of LL and LR parsing techniques. When using top-down or predictive parsing (LL) for parse the yield of a given nonterminal, one requires that the parser identify (“predict”) which production will be used. Left-recursive grammars cannot be used because no bounded amount of look-ahead can determine which production should be chosen. On the other hand, bottom-up (LR) parsers can follow multiple

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productions as long as the ambiguity is resolved by the end of the productions. Intuitively, LL parsers require that a decision be made at the start of the productions, whereas LR can wait until the end. Thus, LR theory permits a greater number of grammars to be parsed deterministically.

The greater power of LR is offset by the greater complexity of the parser, by the larger tables generated and by the limitation of where semantic actions can occur in the grammar. The last item is somewhat of a red herring, because modern parser generators such as bison based on LR (or its simplification LALR) permit semantic actions to appear just about anywhere an LL parser generator would permit them.\(^3\) The larger size of tables is less of a problem for today’s computers, especially when compression techniques are used. However, the greater complexity of the parser means it is much harder for the user of the parser generator to understand what is happening. Most seriously, it is much harder to write good error handling.

Modern LL parser generators overcome some of the limitations of LL parsing by permitting the grammar writer to include code to help disambiguate cases. This is possible because the top-down parsing technique is intuitive. The disadvantage is that the grammar starts to accrete implementation details that obscure its clarity. On the contrary, bison, especially with its precedence extensions, enables grammars to be written in a clean and clear style.

The intuition behind generalized left-corner parsing is that during LR parsing, few productions must wait until the end to resolve ambiguity. Frequently, the production that will be used is identified long before its end. Thus in left-corner parsing, the parser switches from bottom-up parsing to top-down parsing as soon as the production is identified. This has two benefits over straight LR parsing: the tables are smaller and prediction permits better error messages.

The key technique in order to perform left-corner parsing is to determine the recognition points for each production in the grammar, the points where ambiguity is resolved. Horspool generalizes recognition points into free positions which are points where a semantic action can be inserted. The recognition point is always a free position, but not vice versa since ambiguity may arise after a free position.

1.2 Recursive ascent-descent parsing

Recursive descent parsing is a well-known implementation technique for predictive parsing. The parser is directly encoded as a set of mutually recursive functions each of which parses a particular nonterminal.

Recursive ascent parsing uses recursive functions to directly encode a bottom-up parser. The set of mutually recursive functions consists of one function for each LR parsing state. It seems the concept was invented independently by Roberts [9] and by Kruseman Aretz [4]. Direct encoding can lead to a faster parsing for the same reason that compilation usually leads to faster execution than interpretation. Horspool [3] explains that recursive ascent parsing has not been seen as practical because of the large code size (large tables) and unintuitiveness of the technique.

\(^3\) “Just about” because there are a unusual few cases where this correspondence does not hold.
Recursive ascent parsers would be too tedious to write by hand, and the generated parsers are not hospitable to human injection of semantic routines.

Generalized left-corner parsing’s advantages vis-a-vis LR parsing are directly relevant: they lead to smaller tables and after disambiguation, using top-down parsing in which it is easy to place semantic actions. Horspool [3] showed that the advantages are real—parsing can be almost three times faster as opposed to with yacc, and still enable hand-editing of semantic actions.

1.3 Precedence and other extensions

The bison tool (and its forerunner yacc) includes the ability to declare the precedence and associativity of terminals enabling grammars with operators to have smaller tables. The technique gives a way to resolve shift-reduce and reduce-conflicts without the need to add new states, a new kind of parsing or any sort of indirection. Any remaining parse table conflicts are resolved in a repeatable way. Finally, bison includes an error symbol that affects error recovery.

Together these extensions change the theoretical nature of the parsing problem. Thus any tool which seeks to duplicate bison’s semantics of parsing cannot simply depend on generalized left-corner parsing theory.

2 Architecture of ScalaBison

The key design decision behind ScalaBison was to delegate the table construction to bison. This enables us to match the syntax and semantics of bison (including its parse table disambiguation techniques) without needing to duplicate the functionality. On the other hand, this decision is limiting in that we cannot create new parsing states arbitrarily— we can only reuse (and adapt!) the ones given to us by bison. Furthermore, it also means our tool is tied to a particular textual representation of parse tables. Fortunately, it seems the format of bison’s “output” seems stable. We have been able to use bison version 1.875 as well as 2.3.

ScalaBison performs the following tasks:

(i) Invoke the bison parser generator;
(ii) Read in the grammar and generated LALR(1) tables from bison;
(iii) Determine a recognition point for each production;
(iv) Identify the set of unambiguous nonterminals: non-terminals occurring after the recognition point of some production;
(v) For every unambiguous nonterminal, identify a bison state to adapt into a left-corner (LC) state, and perform the adaptation;
(vi) Write out the parser boilerplate;
(vii) Write a function for each terminal (match or error) and unambiguous nonterminal (start a recursive ascent parse at its LC state);
(viii) Write a function for parsing each production after its recognition point using
the previous functions for each symbol;

(ix) Write a recursive ascent function for each LC state.

In this paper, we pass over most of these tasks without comment. The interesting steps are Step iii and Step v. We briefly note however that the start symbol \( S \) will always be in the set of unambiguous nonterminals determined in Step iv because of the artificial production \( S' \rightarrow S\$ \) added by the generator.

2.1 Recognition Points

A recognition point is determined by finding the left-most position in each production which is “free” and all following positions are “free.” We modify Algorithm 2 of Purdom and Brown [8]. The published algorithm does a computation over a graph for each state and each potential lookahead checking whether each relevant item dominates the action for the given lookahead symbol. We instead use a single graph for each LALR(1) state and check whether items dominates each parse action it can reach.

Precedence and associativity declarations are used by bison to resolve certain shift-reduce conflicts in favor of reductions (rather than shifts). So-called “non-associativity” declarations can even introduce parse errors. Thus with appropriate precedence declarations

\[
\begin{align*}
\text{a - b - c}
\end{align*}
\]

is parsed as \((a-b)-c\) and

\[
\begin{align*}
\text{e == f == g}
\end{align*}
\]

is a parse error. Normally, the recognition point for binary operators is directly before the operator, but then the recursive descent part of the parser would need to be context-sensitive so that the expression starting with \( b \) terminates immediately rather than extending incorrectly through “- c” as it would normally. Thus for correctness, we force the recognition point of any rule using precedence to be put at the end.

2.2 Generating LC States

For each unambiguous nonterminal \( N \), we must by definition have a production \( N_0 \rightarrow \alpha N \beta \) in which this nonterminal occurs after the recognition point. We wish to construct a LC state for the item \( N^z \rightarrow \vdash \cdot N \) for a new artificial nonterminal \( N^z \). This state will be used when (predictively) parsing \( N \). In order to avoid having to create states (and the associated parse actions) ourselves, we find an existing LALR state that contains the item \( N_0 \rightarrow \alpha \cdot N \beta \). We use this existing state when defining the parsing actions (after the next paragraph). Figure 1 gives an example of a LALR(1) state being adapted as an LC state. The first item (for rule 7) is irrelevant to the LC state generation and is ignored. We rather use the artificial item show at the extreme right.

First we “close” the new LC state, by adding new items \( N' \rightarrow \cdot \alpha \) for every pro-
When adapting a reduce action from the LALR state, the corresponding announce action is used if the relevant item is in the LC state. Otherwise (as seen in the example, without an item for rule 21), we are in a similar situation as we were with a shift action that does not immediately translate. There are two possibilities: one that the action corresponds to an item (or items) of the LALR state that are irrelevant to the LC state that uses it, or that it indicates parsing action beyond the recognition point of an item in the LC state. We detect the latter case by tracing the items (in the LALR state) associated with the action back to where they are generated. If we encounter an item that in the LC state is at its recognition point, we use an announce action. In this way, the reduce action on DEF is converted into an announce of rule 12. Otherwise the action is omitted from the LC state unless an “accept” action is possible (see next paragraph), in which case we use that action (as seen in Fig 1 for ‘}’).

If the LC state contains the artificial item $N \rightarrow \vdash N \cdot$ (as in the example.
private def yystate13(yyarg1: Features): YYGoto = {
  var yygoto: YYGoto = null;
  yycur match {
    case YYCHAR('{') => yygoto = YYNested(YYNested(YYBase(YYNTfeature_list(yyarg1))));
    case OVERRIDE() => yygoto = yynest(1,YYNTfeature_list(yyrule12(yyarg1)))
    case DEF() => yygoto = yynest(1,YYNTfeature_list(yyrule12(yyarg1)))
    case NATIVE() => yygoto = yynest(1,YYNTfeature_list(yyrule14(yyarg1)))
    case VAR() => yygoto = yynest(1,YYNTfeature_list(yyrule12(yyarg1)))
    case YYCHAR('}') => yygoto = yynest(1,YYNTfeature_list(yyrule15(yyarg1)))
    case _ => yygoto = YYNested(YYNested(YYBase(YYNTfeature_list(yyarg1))));
  }
  while (true) {
    yygoto match {
      case YYNested(g) => return g;
      case YYBase(YYNTerror(s)) =>
        yyerror(s)
        yypanic({ t:YYToken => t match {
          case YYCHAR(';') => true
          case _ => false
        }})
        yygoto = yystate14(yyarg1);
      case x@YYBase(_:YYNTfeature_list) => return x;
      }
    yygoto
  }
}

/** Recursive descent parser after recognition point
 * feature_list: feature_list . feature ';'
 */
private def yyrule12(yyarg1: Features): Features = {
  var yyresult: Features = null;
  val yyarg2: Feature = parse_feature();
  parse YYCHAR(';', ')
  { yyresult = yyarg1 + yyarg2; }
  yyresult
}

Fig. 2. Generated Scala code for the LC state from Fig. 1.

// ** Recursive descent parser after recognition point
* feature_list: feature_list . feature ';
 */
private def yyrule12(yyarg1: Features): Features = {
  var yyresult: Features = null;
  val yyarg2: Feature = parse_feature();
  parse YYCHAR(';', ')
  { yyresult = yyarg1 + yyarg2; }
  yyresult
}

Fig. 3. Recognition function for Rule 12.

where \( N^\# \) is written _ for concision), then we add the default action to “accept” the nonterminal \( N \).

Although this adaptation requires some work, by using the LALR states, we avoid the need to propagate lookaheads or to negotiate parsing conflicts using precedence rules or other policies.

Figure 2 shows the generated Scala code for the LC state adapted in Fig. 1. The yynest and YYNested wrappers are used to help simulate the multi-frame return instruction for recursive ascent parsing. They also catch error exceptions and convert them into error values.

Figure 3 shows the recognition function (predictive parsing routine) for rule 12. This function is called when implementing an “announce” action (as seen in Fig. 2). It includes the semantic action code: in this case translated from \{ $$ = $1 + $2; \}.

The final kind of generated function is the one that starts a recursive descent parse for a given nonterminal. Figure 4 shows the parsing function for the “feature” nonterminal. Such functions are not private so that they can be used by the code that interfaces with the generated parser.

6
def parse_feature() : Feature = {
    yystate17() match {
      case YYBase(YYNTfeature(yy)) => yy
      case YYBase(YYNTerror(s)) => throw new YYError(s)
    }
  }

Fig. 4.

The generated parser has a simple interface to the scanner: the parser is started by passing it an iterator that returns the tokens.

3 Related Work

The number of parser generators using LL or (LA)LR technologies is great. There are fewer tools generating recursive ascent parsers [5,10], and to our knowledge only Horspool has previously written a recursive ascent-descent parser generator.

3.1 Parser combinators

The primary mechanism for text parsing included with the Scala standard library is that of parser combinators [6]. Parser combinators are an embedded DSL in Scala for expressing EBNF-like grammars.

At a very high level, parser combinators are a representation of LL(k) parsing without using tables or explicit recursion. Instead, input is consumed by a Parser, which reduces to either Success or Failure, dependent upon whether or not the input was successfully parsed. In general, the combinator use backtracking which impacts efficiency negatively. Grammars of arbitrary complexity may be represented by combining parsers to produce a composite parser, etc.

Figures 5 and 6 compare these two radically different ways of writing parsers. The ScalaBison example is simple and clean for addition and subtraction, but much more verbose than using combinators for actual parameters. Furthermore, the combinators example is legal Scala code, whereas ScalaBison parsers must be converted into Scala making it harder to track down errors in semantic routines. An additional point of comparison is that the ScalaBison parsers are more efficient in time and space than their combinator analogues as seen in the following section.

4 Evaluation

One common concern with recursive ascent parsers is the large number of states leads to a large code size. Indeed Veldema [10] decided against a purely direct-encoded parser for this very reason, opting instead for an approach that can be seen as table-driven. Left-corner parsing is supposed to alleviate this problem and indeed we find that the number of states is noticeably fewer: about 40% fewer for grammars that make heavy use of LR features. For example, the published LALR(1) grammar of Java 1.1 (in which optional elements are expanded to split
one production into two, resulting in a grammar with 350 productions) yields 621 states with \texttt{bison} but only 378 in ScalaBison. We also tested a grammar for a dialect of Cool [1] which made heavy use of precedence declarations (67 productions): 149 states for \texttt{bison}, 100 for ScalaBison. The reduction in states is to be welcomed but may not be great enough to make recursive ascent-descent attractive to people repelled by recursive ascent. The generated parser for Cool is still over 100K bytes of Scala, and for Java 1.1 over 600K bytes. By way of comparison, the \texttt{bison} generated parsers are 53K and 120K of C source respectively.

To measure performance, we compare the ScalaBison Cool parser with one written using parser combinators. The comparison is not “fair” in that parser combinators were designed for clarity, not speed, and furthermore, the ScalaBison parser uses a hand-written (but simple and unoptimized) scanner whereas the combinator parser operates directly on the character stream. The Scala parser combinator library has more support for parsers operating directly on character streams. The comparison is also not “fair” since we wrote both parsers. We did attempt to follow best and clearest practice in each case. The skeptical reader is invited to view both parsers on our web page (http://www.cs.uwm.edu/~boyland/scala-bison.html) to see how we did.

Table 1 shows the results of testing both the ScalaBison and combinator Cool parsers against an Cool input file (\texttt{good.cl}) comprised of roughly 3,100 tokens exercising every production of the grammar. The file \texttt{large.cl} simply repeats this file ten times. The first column shows the compiled code size. All tests were performed with the JVM in \texttt{-server} mode with 2048 MB of heap space. Scala


<table>
<thead>
<tr>
<th>Generator</th>
<th>Compiled</th>
<th>good.cl</th>
<th>large.cl</th>
</tr>
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<tr>
<td></td>
<td>Space (K)</td>
<td>Time (ms.)</td>
<td>Space (K)</td>
</tr>
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<td>ScalaBison</td>
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<td>9</td>
<td>275</td>
</tr>
<tr>
<td>combinators</td>
<td>350</td>
<td>50</td>
<td>1900</td>
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Table 1
Comparing ScalaBison with combinator parsing.

version 2.7.2 final; Java version 1.6.0_07 64bit Mac OS X 10.5. Each test was run twelve times with the best and worst results dropped. The remaining test results were averaged and then rounded to produce the final answer given in the table. Garbage collection was triggered between each test. Memory use was computed using Runtime.getRuntime().freeMemory. We currently have no explanation for the smaller memory usage when parsing large.cl.

5 Conclusion

ScalaBison is a practical parser generator for Scala built on recursive ascent-descent technology that accepts bison format input files. It uses bison’s LALR(1) tables to build its own LC tables and thus is able to provide the same semantics of conflict resolution that bison does. The parsing speed and space usage are competitive with Scala’s built-in parser combinators.

SDG

References


